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Experimental investigation of the $0^+_2$ band in $^{154}$Sm as a $\beta$-vibrational band

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A study of $^{154}$Sm through $\gamma$-ray and internal conversion electron coincidence measurements was performed using the Silicon And GERmanium spectrometer (SAGE). An upper limit for the $\rho^2(E0; 2^+_1 \rightarrow 2^+_2)$ and measurement of the $\rho^2(E0; 4^+_2 \rightarrow 4^+_1)$ monopole transitions strengths were determined. The extracted transition strength for each is significantly lower than that predicted by either the Bohr and Mottelson $\beta$-vibration description or the interacting boson model. Hence, the long standing interpretation of these states as a collective band built on the $0^+_1$ state is questionable.

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1. Introduction

The first excited $0^+_1$ states in the vast majority of even–even rare-earth nuclides have long been interpreted as collective excitations. This is due, in part, to these states being observed below the pairing gap. Collective behaviour in nuclei that are known to have significant quadrupole deformation can be described by a geometric model of an axially symmetric rotor. The most successful and long-standing theoretical description of such collective behaviour involve solutions to the Bohr and Mottelson Hamiltonian [1]. Solutions to this Hamiltonian show that collective excitation modes may arise from shape oscillations parallel to ($\beta$ vibration) or perpendicular to ($\gamma$ vibration) the symmetry axis. A significant amount of experimental evidence exists for $\gamma$ vibrations, and typically the first rotational structure identified as being built on a $K=2$ state is labelled as the $\gamma$-band. Hence, it is common practise to label the first excited $0^+_1$ state as a $\beta$ vibration and the rotational structure built upon this state as a $\beta$-band. However, a significant amount of theoretical [2–5] and experimental [6–11] work has questioned this interpretation.

The historical approach of identifying these $\beta$-bands simply by the energy spacing of the $0^+_1$, $2^+_2$ and $4^+_2$ states is not sufficiently rigorous [2]. This method belies the evidence provided by modern measurements such as $B(E2)$ and $\rho^2(E0)$ strengths. An enhanced decay strength should be seen in the case of $E0$ decays from a $\beta$-band to the ground state band (GSB). These $E0$ transition rates can be related to $B(E2)$ values by [12,13]:

$$\rho^2(E0; n_\beta = 1 \rightarrow n_\beta = 0) = \frac{9}{8\pi^2} Z^2 R_0^4 E(2^+_1) E(0^+_2)$$

$$= \frac{B(E2; 0^+_1 \rightarrow 2^+_2) A \beta_0^2}{e^2 R_0^4 A^{4/3}}, \quad (1)$$

$\quad$
where \( n_\beta \) denotes the number of \( \beta \)-vibration quanta of a state, \( \rho_0 \) is the static quadrupole deformation of the ground state and \( r_0 \) is 1.3 fm. Typical values of \( B(E2) \) for \( \beta \)-vibrator candidates provide values of \( \rho^2(E0) \) in the region of 85–230 · 10^{-3} \([2]\). There is no angular momentum dependence in Eq. (1), and therefore all \( \rho^2(E0; I^+_1 \rightarrow I^+_0) \) values for a given isotope should be of a similar magnitude. A compilation of \( \rho^2(E0) \) measurements \([13]\) showed that, with the exception of \( ^{162}\text{Er} \), \( \rho^2(E0) \approx 90 \cdot 10^{-3} \) represents an upper limit for \( I^+_1 \rightarrow I^+_0 \) measurements in the rare-earths nuclides. This suggests that few of the identified \( 0^+_2 \) bands are in fact pure \( \beta \) vibrations.

Notably, maximum \( E0 \) strengths close to samarium are found for the \( N = 90 \) isotones, where \( \rho^2(E0; I^+_1 \rightarrow I^+_0) \approx 80–90 \cdot 10^{-3} \), with a significant reduction in the adjacent isotopes of lower mass \([14]\). Such localised increases in \( E0 \) strength are also observed elsewhere across the nuclear landscape. Theoretical efforts to explain these increases have predominantly employed the Interacting Boson Model (IBM), incorporating \( s \) and \( d \) bosons \([15,16]\) and more recently \( s, d, \) and \( g \) bosons \([16]\).

Interpretation of the experimental and theoretical results is a matter of debate. Work by Casten et al. \([17]\) suggests that this is a case of phase transition, where the \( N = 90 \) isotones represent a midpoint between nuclides with a spherical and deformed ground state. An alternative interpretation by Garrett et al. \([18]\) suggests that these nuclei may represent a shape coexistence phenomenon. Wood et al. \([113]\) demonstrate that for such coexisting states, simple two-state mixing calculations can account for a significant increase in \( E0 \) strength. However, it is clear that the lack of experimental information on \( E0 \) strengths in these nuclei, specifically for \( N > 90 \) in the rare-earth region, is hampering the understanding of their low-lying structure.

The isotope \(^{154}\text{Sm}\) lies at the heart of the rare-earth region, has a large ground-state quadrupole deformation, and neighbours the \( N = 90 \) isotones. As such, it is an ideal candidate to be described by \( \beta \) vibrations in the Bohr and Mottelson Hamiltonian. Furthermore, measuring the strength of \( E0 \) transitions beyond \( N = 90 \) will provide a test of IBM calculations in the rare-earth nuclides. Such measurements should provide further information for the ongoing debate between shape-coexistence and phase-transitions descriptions of the \( N = 90 \) isotones.

In this letter, measurements of \( \rho^2(E0; I^+_1 \rightarrow I^+_0) \) strengths in \(^{154}\text{Sm}\) using the newly commissioned Silicon And Germanium (SAGE) spectrometer \([19,20]\) are reported. A previous attempt to measure \( E0 \) strengths in \(^{154}\text{Sm}\) reported values of \( \rho^2(E0; 0^+_2 \rightarrow 0^+_1) = 96(42) \cdot 10^{-3} \) and \( \rho^2(E0; 2^+_3 \rightarrow 2^+_2) = 6.3 \cdot 10^{-3} \) \([21]\). These values are inconsistent with the interpretation of a rotational band built on a \( \beta \) vibration. As the previous experiment was insufficiently sensitive to \( \gamma \) rays, it was not possible to separate \( E0 \) strength measurements of the \( 2^+_3 \rightarrow 2^+_2 \) and \( 0^+_2 \rightarrow 0^+_1 \) transitions, due to their similar energies. This article will present experimental details in Section 2, results in Section 3, and a discussion of these results in Section 4.

2. Experiment

The experiment employed the SAGE spectrometer at the University of Jyväskylä (JYFL) to make a simultaneous measurement of \( \gamma \) rays and conversion electrons resulting from the Coulomb excitation (CoulEx) of \(^{154}\text{Sm}\). This array consists of 34 High-Purity Germanium detectors (24 Clover and 10 EUROGAM Phase I detectors), from the JUROGAMII array, coupled to a highly segmented silicon detector located approximately 1 m upstream of the target.

1 All values of \( \rho^2(E0) \) are presented in units of \( 10^{-3} \) by convention.
Normalised-Peak-to-Gamma (NPG) method [23]. The relative intensities of detector events stored on disk. Coincident sections for population of the 0
+ made to extract information from the population process. Cross-multiplication is insensitive to the means of excitation as no attempt is contributed to the reaction is anticipated. However, the experiment is insensitive to the means of excitation as no attempt is made to extract information from the population process. Cross sections for population of the \( ^{0+}_2 \), \(^{2+}_2 \) and \(^{4+}_2 \) states by CoulEx were calculated to be 1.4, 7.2 and 1.3 mb respectively. Population of the \(^{0+}_2 \) (1099 keV), \(^{2+}_2 \) (1178 keV) and \(^{4+}_2 \) (1338 keV) states were confirmed by observation of their respective transitions to the GSB in the \( \gamma \)-ray data. Transitions were also observed for the target contaminant \(^{152}\text{Sm} \) and for the sub-barrier fusion-evaporation product \(^{166}\text{Yb} \). Data were collected for a total of 65 hours with an average beam current of 20 pnA.

### 3. Results

Using the same requirement as the experimental trigger, \( \gamma \gamma \) and \( \gamma e^- \) coincidence events were constructed from individual detector events stored on disk. Coincident \( \gamma \gamma \) pairs, which fell within a 60 ns time window, were added to a matrix of prompt events. A second matrix was constructed from coincident \( \gamma e^- \) pairs for events in which the electron was detected between 100 ns before and 60 ns after the \( \gamma \) ray. These times encompass the observed genuine-coincidence timing peaks. Events which fell outside of these ranges, but within the 200 ns experimental trigger window, were added to background matrices. Background matrices were scaled according to the observed peak-to-total of timing spectra and subtracted from the prompt matrices to remove random coincidences. Subsequently, identical \( \gamma \gamma \)-gate were placed on each matrix to produce counterpart electron and \( \gamma \)-ray spectra, from which internal conversion coefficients (ICCs) were measured.

The conversion-electron sources \(^{133}\text{Ba} \) and \(^{207}\text{Bi} \) were used to extract efficiencies for SAGE across the energy range of interest. A peak detection efficiency of 0.134% was measured for 1049 keV electrons, corresponding to \(^{154}\text{Sm} \) \(^{2+}_2 \) \( \rightarrow \)^{2+}_2 \) K-electrons. In order to account for data acquisition system differences between the \( \gamma \gamma \) and \( \gamma e^- \) events (e.g. dead time, trigger response), the relative intensities of transition \( \gamma \) rays and electrons were normalised using the Normalised-Peak-to-Gamma (NPG) method [23]. The relative intensities of \( \gamma \) rays and electrons for known transitions are measured and an energy independent scaling constant, \( C_{\gamma e^-} \), is determined from established ICCs. This normalisation was performed using 20 \( E2 \) transitions in the GSB of \(^{154}\text{Sm} \), \(^{152}\text{Sm} \) and \(^{166}\text{Yb} \), all of which were clearly discernible in the data following \( \gamma \)-ray gating; an example spectrum is shown in Fig. 3. Subsequent ICCs are then given by:

\[
\alpha_{\text{exp}} = \frac{N_{\gamma} \cdot \epsilon_{\gamma}}{N_{\gamma} \cdot \epsilon_{e^-} \cdot C_{\gamma e^-} \cdot W(\Theta)},
\]

where \( N_{\gamma} \) and \( N_{e^-} \) are the peak counts of \( \gamma \) rays and electrons, respectively, and \( \epsilon_{\gamma} \) and \( \epsilon_{e^-} \) are the respective detector efficiencies. \( W(\Theta) \) is a factor which accounts for the effect of different angular correlations between \( \gamma \gamma \) and \( \gamma e^- \). The effect was estimated to be less than 2%; this is smaller than the uncertainties on the other parameters and so \( W(\Theta) \) was taken to be 1, consistent with the work of Ref. [24].

ICCs were measured for known transitions from non-yrast states in \(^{154}\text{Sm} \), \(^{152}\text{Sm} \) and \(^{166}\text{Yb} \). A summary of these results is presented in Table 1, along with literature values. These transitions from excited bands to the GSB lie in the energy range 500–1000 keV. Due to both the electron detection efficiency and the magnitude of ICCs decreasing with energy, the statistics of associated electron peaks were limited. This was coupled with a large statistical variance following background subtraction, resulting in large \( N_{e^-} \) errors. Hence, \( N_{e^-} \) measurements are taken at the 95% confidence limit, leading to large uncertainties on \( \alpha_{\text{exp}} \), within which consistency with previous measurements is achieved.

The \( \gamma \)-ray and electron fits for the \(^{2+}_2 \rightarrow^{4+}_1 \) (9110 keV) transition in \(^{154}\text{Sm} \), obtained by gating on the \(^{4+}_1 \rightarrow^{2+}_1 \) (184.8 keV) \( \gamma \) ray, are shown in Fig. 4. The peak of the \(^{5+}_1 \rightarrow^{4+}_1 \) (914.4 keV) \( \gamma \) ray can be seen to overlap with the \(^{2+}_2 \rightarrow^{4+}_1 \) \( \gamma \) ray. The \(^{5+}_1 \rightarrow^{4+}_1 \) \( \gamma \)-ray peak is significantly Doppler-broadened due to the short lifetime of the initial state. The corresponding K-electrons of the \(^{5+}_1 \rightarrow^{4+}_1 \) transition are expected to be a factor of 3 fewer than those of the \(^{2+}_2 \rightarrow^{4+}_1 \) transition. Additionally, due to the electron acceptance angle of SAGE, the energy of electrons emitted from

\begin{table}[h!]
\centering
\caption{Summary of experimentally measured ICCs.}
\begin{tabular}{llllllll}
\hline
Nuclide & \( I^+ \) & \( I^- \) & \( \gamma \) (keV) & \( L \) & \( \alpha \) & \text{Literature values}\tabularnewline
\hline
\(^{152}\text{Sm} \) & \(^{2+}_2 \) & \(^{4+}_1 \) & 562.9 & 516.1 & 0.0095(34) & 0.0078(13)\tabularnewline
\(^{152}\text{Sm} \) & \(^{2+}_2 \) & \(^{2+}_2 \) & 688.7 & 516.1 & 0.0297(75) & 0.0359(13)\tabularnewline
\(^{166}\text{Yb} \) & \(^{8+}_3 \) & \(^{8+}_3 \) & 754.8 & 693.5 & 0.0158(45) & 0.017(3)\tabularnewline
\(^{166}\text{Yb} \) \((60s)\) & \(^{6+}_3 \) & \(^{6+}_3 \) & 814.5 & 753.2 & 0.0569(28) & 0.010(1)\tabularnewline
\(^{154}\text{Sm} \) & \(^{2+}_2 \) & \(^{4+}_1 \) & 910.96 & 864.13 & 0.0034(16) & 0.00257(4)\tabularnewline
\(^{154}\text{Sm} \) & \(^{2+}_2 \) & \(^{2+}_2 \) & 1095.86 & 1049.03 & \& & \&\tabularnewline
\(^{154}\text{Sm} \) & \(^{4+}_1 \) & \(^{4+}_1 \) & 1070.98 & 1023.85 & \& & \&\tabularnewline
\hline
\end{tabular}
\end{table}
the short-lived $5^+_1$ state will be kinematically shifted to a lower energy, $\sim 845$ keV. As a result the K-electrons from the $5^+_1 \rightarrow 4^+_1$ transition do not interfere with the $2^+_2 \rightarrow 4^+_1$ K-electrons measurement. From the fit of the $2^+_2 \rightarrow 4^+_1$ K-electron peak at 864.1 keV, the electron peak width and centroid shift due to energy straggling and kinematic shift was established. These parameters depend on electron energy and initial state population and should then be the same for the $2^+_2 \rightarrow 2^+_1$ K-electron peak at 1049.03 keV, which is of similar energy and emitted from the same initial state.

For the $2^+_2 \rightarrow 2^+_1$ transition in $^{154}$Sm, an electron peak could not be identified over the variance of the background, as shown in Fig. 5. Using a fit with the established parameters and the confidence limit formalism of Ref. [26], an upper limit for the K-electron peak was established at the 95% confidence level. Additional sources of error are quoted on top of this 95% upper limit. Line shapes of the $3^+_1 \rightarrow 4^+_1$, $5^+_1 \rightarrow 4^+_1$ and $4^+_2 \rightarrow 4^+_1$ γ rays result from the short lifetimes of the decaying states.

For the $2^+_2 \rightarrow 2^+_1$ transition in $^{154}$Sm, a limit of $\alpha_K \leq 0.0067(6)$ is deduced.

and a value of $\alpha_K = 0.0079^{+0.0087}_{-0.0073}$ is deduced for the for the ICC of the $4^+_2 \rightarrow 4^+_1$ mixed $E0 + M1 + E2$ transition in $^{154}$Sm.

For a mixed $E0 + M1 + E2$ transition, the monopole transition strength $\rho^2(E0)$ is related to the ICC by [27]:

$$\rho^2(E0) = q_K^2(E0/E2) \cdot \frac{\alpha_K(E2)}{\Omega_K(E0)} \cdot W_\gamma(E2),$$

where $\alpha_K(E2)$ is the component K-electron ICC, $\Omega_K$ is an electronic factor, $W_\gamma(E2)$ is the γ-ray transition probability and the ratio $q_K^2 = W_K(E0)/W_K(E2)$ may be determined from

$$q_K^2 = \frac{\alpha_K(1 + \delta^2) - \alpha_K(M1)}{\delta^2 \alpha_K(E2)} - 1.$$  

Calculated values of $\rho^2(E0)$ from the measurements are given in Table 2, where values of $\delta$ and $W_\gamma(E2)$ for $^{154}$Sm are taken from a recent measurement [11] and values of $\Omega_K$ and $\alpha_K(E2)$ are taken from the BrIcc program [25]. The $^{154}$Sm $4^+_2 \rightarrow 4^+_1$ γ ray is taken to be a pure $E2$ transition, in accordance with Ref. [11], inclusion of an $M1$ component would lead to a marginally reduced $\rho^2(E0)$ value. Due to negligible γ-ray feeding from above, the $0^+_2 \rightarrow 0^+_1$ transition could not be observed in the coincidence measurements of this work.

### 4. Discussion

The measured $\rho^2(E0)$ values present an interesting challenge for the interpretation of the $I^+_2$ states. A comparison of the measured value to predictions can give useful evidence in support of, or in opposition to, the models. In the case of a pure $\beta$-vibrational band, $\rho^2(E0; I^+_2 \rightarrow I^+_1)$ should have a value of the order of $100 \cdot 10^{-3}$. Additionally, as shown by Eq. (1), there should be no angular momentum dependence to this value. A value of $100 \cdot 10^{-3}$ is far larger than the measured $\rho^2(E0)$ values, as demonstrated in Fig. 5 where a simulated conversion electron peak of this strength is superimposed on the experimental data. Hence, it must be concluded that the states in $^{154}$Sm cannot be described

**Table 2**

<table>
<thead>
<tr>
<th>Nucleus</th>
<th>Transition</th>
<th>$\rho^2(E0)_{\exp} \times 10^{-3}$</th>
<th>Literature value</th>
</tr>
</thead>
<tbody>
<tr>
<td>$^{154}$Sm</td>
<td>$2^+_2 \rightarrow 2^+_1$</td>
<td>56(14)</td>
<td>69(6)${}^a$</td>
</tr>
<tr>
<td>$^{154}$Sm</td>
<td>$2^+_2 \rightarrow 2^+_1$</td>
<td>$&lt; 9.4(15)$</td>
<td>$&lt; 6.3$${}^b$</td>
</tr>
<tr>
<td>$^{154}$Sm</td>
<td>$4^+_2 \rightarrow 4^+_1$</td>
<td>$8.2^{+12.0}_{-6.2}$</td>
<td>-</td>
</tr>
</tbody>
</table>

---

${}^a$ Value from Ref. [13].

${}^b$ Value from Ref. [21].
as pure $\beta$ vibration. Calculations performed by P. Van Isacker [16,28], in the more general collective picture of the IBM, predict $\rho^2(\text{E0}; 2^+_2 \rightarrow 2^+_1) = 39 \cdot 10^{-3}$ and $\rho^2(\text{E0}; 4^+_2 \rightarrow 4^+_1) = 31 \cdot 10^{-3}$. These values lie between those measured and $\beta$-vibrational values, but are still notably larger than the measurements presented in this work. Consequently, it must be concluded that the IBM fails to reproduce the behaviour of the $2^+_2$ and $4^+_2$ states, in this case, with regards to $\text{E0}$ transitions.

It should be remarked that the $\rho^2(\text{E0}; 2^+_2 \rightarrow 2^+_1)$ upper limit measured in this work agrees with the measurement in Ref. [21]. This supports the $\rho(\text{E0}; 0^+_0 \rightarrow 0^+_1) \approx 100 \cdot 10^{-3}$ value reported in Ref. [21], which was experimentally convolved with the $\rho^2(\text{E0}; 2^+_2 \rightarrow 2^+_1)$ measurement. The energy spacing of the $0^+_2$, $2^+_2$, $4^+_2$ and $6^+_3$ states is indicative of a rotational band. As such, any interpretation of the nature of the $2^+_2$ state as having a majority component incompatible with an interpretation of the $0^+_2$ state should be approached with caution.

As the observed states of $^{154}\text{Sm}$ are not adequately described by the Bohr and Mottelson $\beta$ vibration description or the IBM, state mixing will now be considered. In Ref. [29], it was suggested that little mixing between the GSB and $0^+_2$ band should be expected. Mixing between the $0^+_2$ state and $0^+_1$ state, believed to be a spherical coexisting configuration, was shown to have a maximum mixing amplitude of 4%. Hence one would expect a maximum mixing amplitude of $\sim 23\%$ between the $2^+_2$ and $2^+_1$ states. Mixing with the $2^+_2$ state at 1440 keV by a $\Delta K = 2$ coupling of the two rotational bands might also be possible. This would naturally only mix the states with $I \geq 2$ of the $0^+_2$ band. Considering simple two-state mixing of the form

$$|I^+_2\rangle = \alpha |I^+_\text{col}\rangle + \beta |I^+_1\rangle$$

between a collective state $I^+_\text{col}$, as described by either model, and another state $I^+_1$ with an intrinsic transition strength $\rho^2(\text{E0}; I^+_1 \rightarrow I^+_0) \approx 0$. The observed $\rho^2(\text{E0})$ values yield upper limits of $\rho^2(\text{E0}; 2^+_2 \rightarrow 2^+_1) \leq 21.7 \cdot 10^{-3}$ and $\rho^2(\text{E0}; 4^+_2 \rightarrow 4^+_1) \leq 40.4 \cdot 10^{-3}$, which are still significantly lower than the presented collective models. It must be concluded that a different interpretation of the $I^+_2$ states is required, potentially a more complex sum of states with negative interference of non-zero $\hat{T}(E)$ matrix elements.

In the IBM, the total $\text{E0}$ strength depends on the sum of many components of differing $d$ boson number, $n_d$; even small changes of admixtures from other states may decisively change the $n_d$ distribution, reducing $\text{E0}$ strength [15]. Alternatively, it may be concluded that the small $\text{E0}$ strengths, inconsistent with either collective model, indicates that the states are largely quasi-particle in nature with little collective contribution. Such an interpretation is supported by the $B(\text{E2}; I^+_2 \rightarrow I^+_1)$ values measured in Ref. [11], which are smaller than predicted by collective models. However, this interpretation is at odds with the apparently collective $\rho^2(\text{E0}; 0^+_2 \rightarrow 0^+_1)$ measurement [21].

5. Conclusion

In this work limits for the $\text{E0}$ strengths of the $2^+_2 \rightarrow 2^+_1$ and $4^+_2 \rightarrow 4^+_1$ transitions in $^{154}\text{Sm}$ were measured in a coincident $\gamma$-ray and conversion electron measurement using the SAGE spectrometer. ICCs were calculated from $\gamma\gamma$ and $\gamma e$ data, which were normalised to GSB transitions of $^{152}\text{Sm}$, $^{154}\text{Sm}$ and $^{166}\text{Yb}$, following a background subtraction of time-random coincidence events. Interband ICCs in the three nuclides were measured and found to agree well with previous measurements. Values of $\rho^2(\text{E0})$ of $\leq 9.4(15) \cdot 10^{-3}$ for the $2^+_2 \rightarrow 2^+_1$ transition and $8.2^{+12.0}_{-8.2} \cdot 10^{-3}$ for the $4^+_2 \rightarrow 4^+_1$ transition were measured in $^{154}\text{Sm}$, these are an order of magnitude smaller than expected for $I^+_2 \rightarrow I^+_1$ GSB transitions. The $\text{E0}$ strength of the $2^+_2 \rightarrow 2^+_1$ transition in $^{152}\text{Sm}$ was also measured, and a value of $\rho^2(\text{E0}) = 56(14) \cdot 10^{-3}$ was established in agreement with previous measurements.

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References


